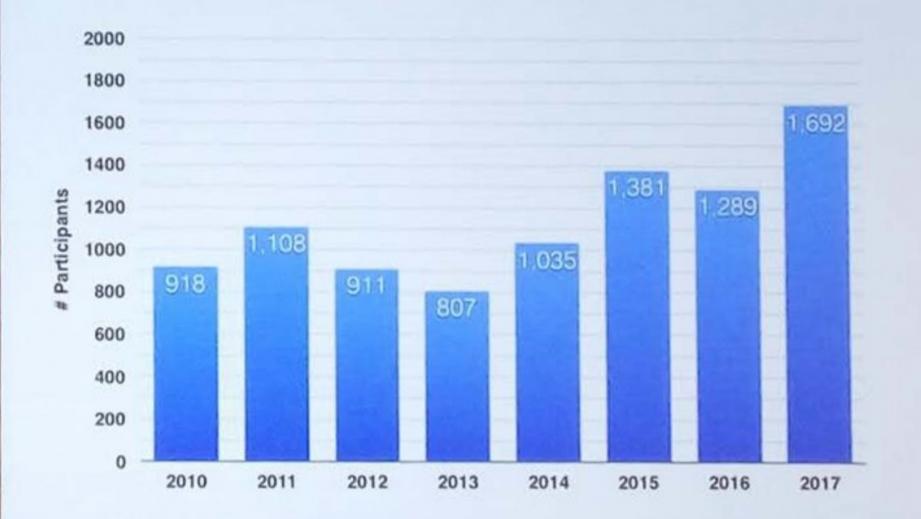


# AAAI-17 Review

Lantao Yu

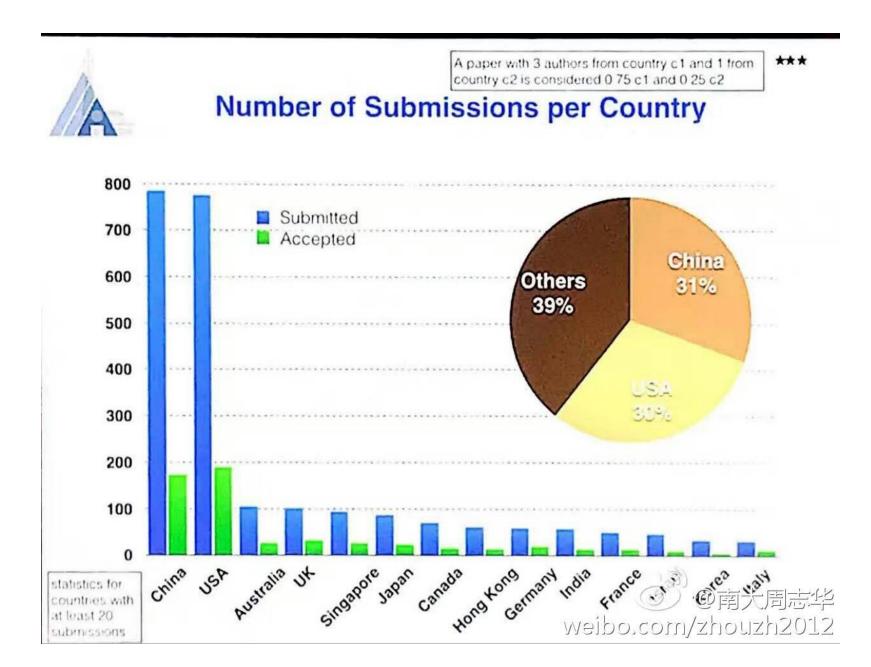
Mar. 8 2017

#### **AAAI Attendance Trend**



#### **AAAI Submission Trend**





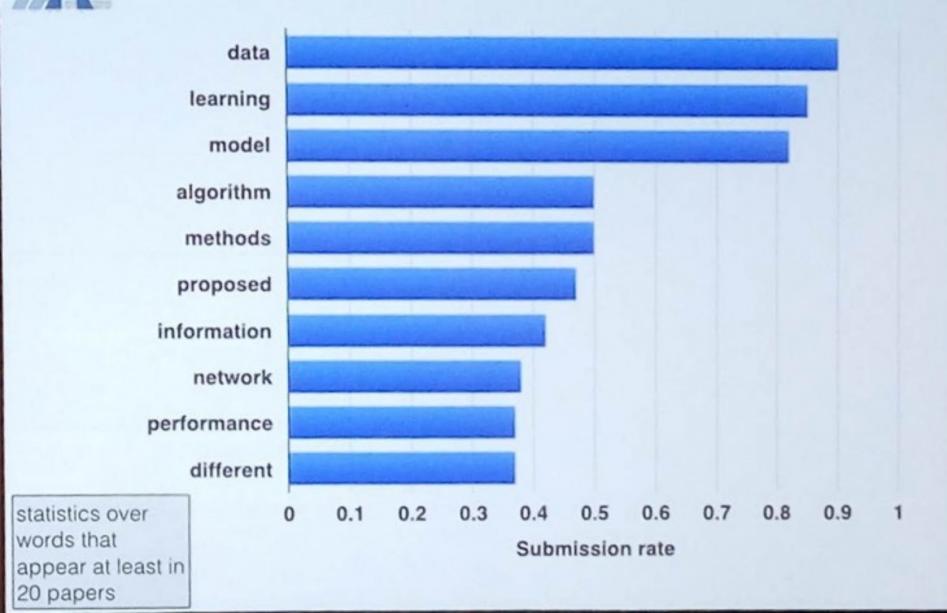
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	Submitte	Submitted		Accepted		
Machine Learning	910	0.35	215	0.24		
NLP	373	0.15	77	0.21		
Applications	268	0.10	61	0.23		
Search/planning	194	0.08	59	0.31		
Vision	169	0.07	45	0.27		
Knowledge Rep	131	0.05	33	0.25		
Game Theory	113	0.04	43	0.38		
MAS	89	0.03	21	0.24		
Uncertainty	75	0.03	20	0.28		
Human	66	0.03	14	0.22		
Cognitive Systems Track	58	0.02	16	0.28		
Comp Sustainability Track	54	0.02	14	0.26		
Intelligent Systems Track	27	0.01	8	0.30		
Robotics	26	0.01	6	0.23		

	Submitted	Accepted	Rate	PCs	SPCs
Main Technical Track	2432	601	0.247	1349	168
Computational Sustainability	54	14	0.259	32	
Cognitive Systems	58	16	0.276	52	
Integrated System	27	8	0.296	35	_
Total of 4 technical tracks	2571	639	0.249	1468	168

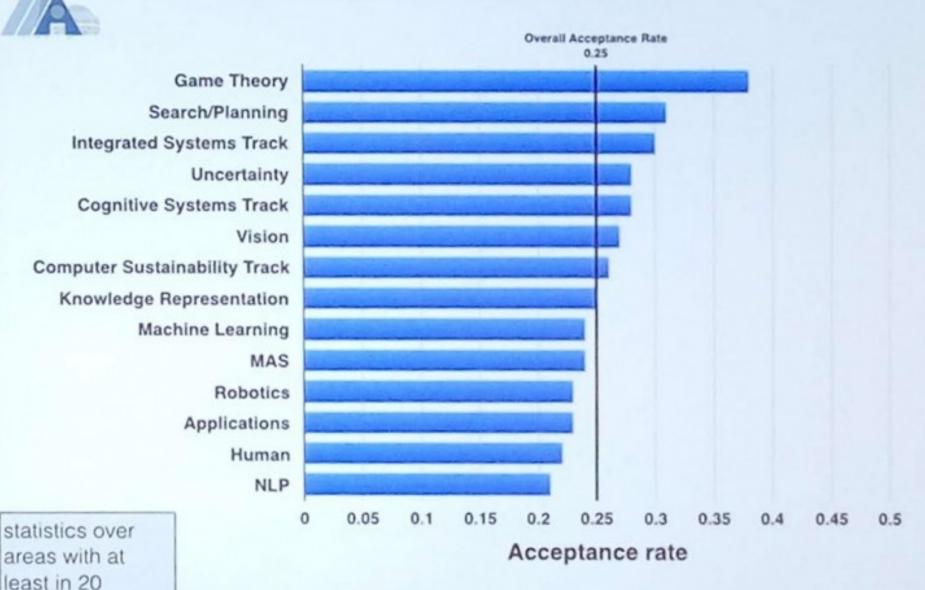
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	Submitted	Submitted Accepted		PCs	
Demo Program	35	13	0.371	8	
Senior Member	22	12	0.545	30	
Doctoral Consortium	31	16	0.516	31	
What's Hot Track		10			
Student Abstracts	115	67	0.583	44	

#### 10 most frequent words in paper abstracts



#### Acceptance Rate by Area



papers

#### AAAI-17 Outstanding Paper Award

Label-Free Supervision of Neural Networks with Physics and Domain Knowledge

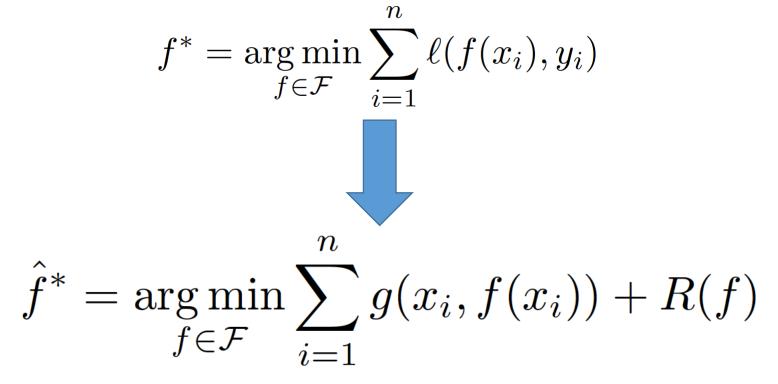
> **Russell Stewart , Stefano Ermon** Department of Computer Science, Stanford University

**Traditional Supervised Learning Setting** 

$$D = \{(x_1, y_1), \dots, (x_n, y_n)\}$$

The goal is to learn a function  $f \ : \ X \ \to \ Y$  mapping inputs to outputs.

The goal of our method is to train a network, f, mapping from inputs to outputs that we care about, without needing direct examples of those outputs. The goal of our method is to train a network, f, mapping from inputs to outputs that we care about, without needing direct examples of those outputs.



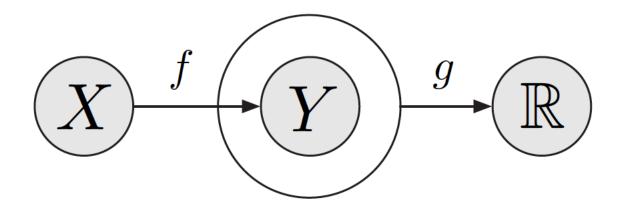


Figure 1: Constraint learning aims to recover the transformation f without providing labels y. Instead, we look for a mapping f that captures the structure required by g.

$$\hat{f}^* = \underset{f \in \mathcal{F}}{\operatorname{arg\,min}} \sum_{i=1}^n g(x_i, f(x_i)) + R(f)$$

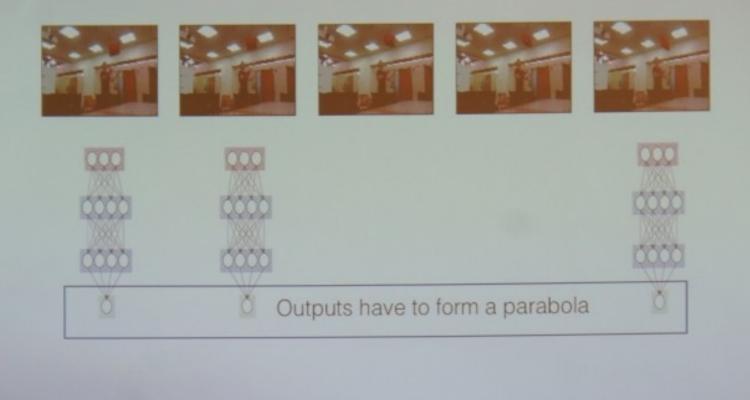
# Tracking an object in free fall

- In the first experiment, we record videos of an object being thrown across the field of view and aim to learn the object's height in each frame.
- Mapping:  $\left(\mathbb{R}^{\text{height} \times \text{width} \times 3}\right)^N \to \mathbb{R}^N$
- the plot of the object's height over time will form a parabola:

$$\mathbf{y}_i = y_0 + v_0(i\Delta t) + a(i\Delta t)^2$$

### Tracking an object in free fall

#### Learning to track an object



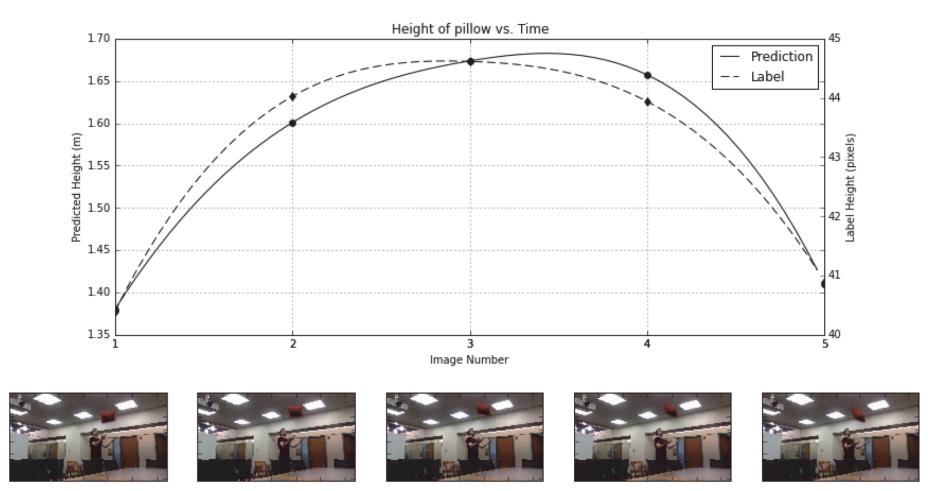
Given any trajectory of N height predictions, f(x), we fit a parabola with fixed curvature to those predictions, and minimize the resulting residual.

$$\boldsymbol{a} = [a\Delta t^2, a(2\Delta t)^2, ..., a(N\Delta t)^2]$$
$$\hat{\mathbf{y}} = \mathbf{a} + \mathbf{A}(\mathbf{A}^T \mathbf{A})^{-1} \mathbf{A}^T (f(\mathbf{x}) - \mathbf{a})$$
(3)

where

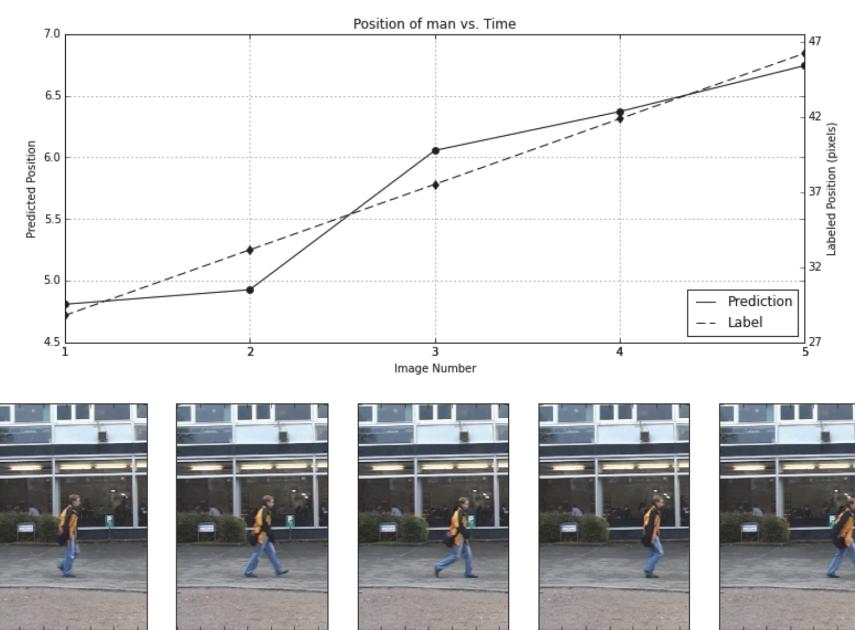
$$\mathbf{A} = \begin{bmatrix} \Delta t & 1\\ 2\Delta t & 1\\ 3\Delta t & 1\\ \vdots & \vdots\\ N\Delta t & 1 \end{bmatrix}$$
$$g(\mathbf{x}, f(\mathbf{x})) = g(f(\mathbf{x})) = \sum_{i=1}^{N} |\hat{\mathbf{y}}_{i} - f(\mathbf{x})_{i}|$$

## Tracking an object in free fall

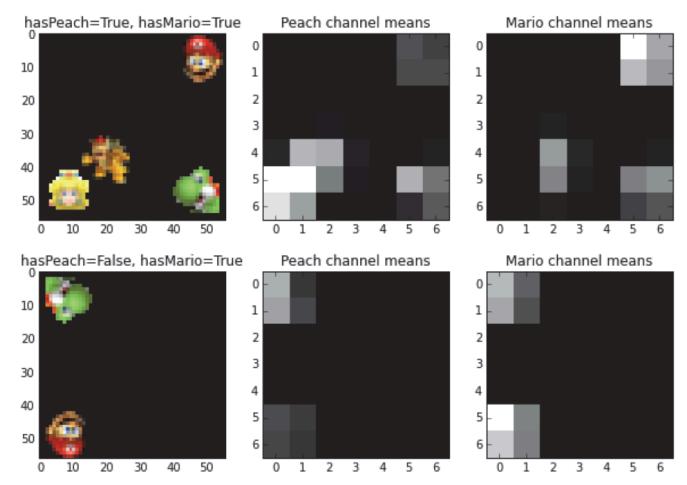


#### Label-free 90.1% vs 94.5 Supervised Learning

### Tracking the position of a walking man



### Detecting objects with causal relationships



Task: predict whether each image contains Mario (red) and Peach (yellow), knowing only that Peach => Mario

### Detecting objects with causal relationships

- Explore the possibilities of learning from logical constraints imposed on single images.
- Our aim is to create a pair of neural networks f = (f1, f2) for identifying Peach and Mario, respectively.
- Rather than supervising with direct labels, we train the networks by constraining their outputs to have the logical relationship  $y1 \Rightarrow y2$
- Need three complicated loss function:
  - h1 forces rotational independence of the output by applying a random horizontal and vertical reflection ρ, to images.
  - h2 and h3 allows us to avoid trivial solutions by encouraging high standard deviation and high entropy outputs, respectively.

$$h_{1}(\mathbf{x},k) = \frac{1}{M} \sum_{i}^{M} |Pr[f_{k}(\mathbf{x}) = 1] - Pr[f_{k}(\rho(\mathbf{x})) = 1]$$

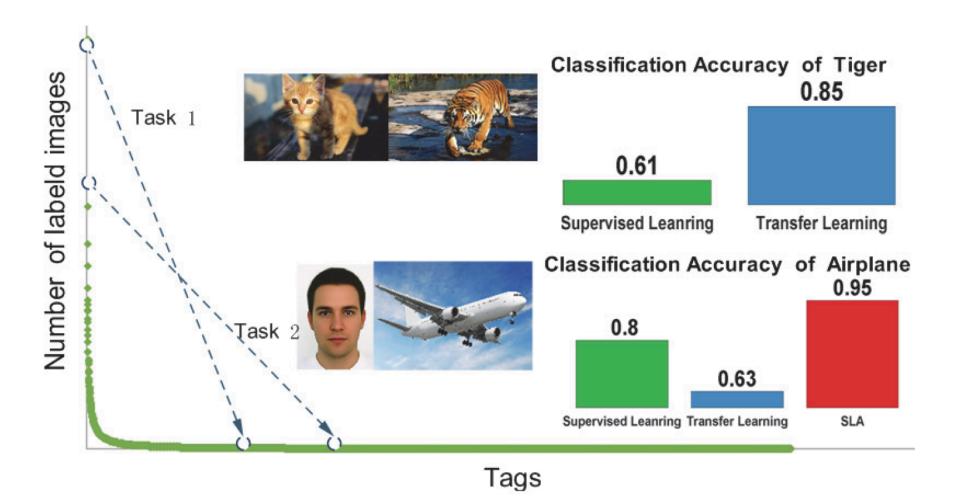
$$h_{2}(\mathbf{x},k) = - \underset{i \in [1...M]}{\text{std}} (Pr[f_{k}(\mathbf{x}_{i}) = 1])$$

$$h_{3}(\mathbf{x},v) = \frac{1}{M} \sum_{i}^{M} (Pr[f(\mathbf{x}_{i}) = v] - \frac{1}{3} + (\frac{1}{3} - \mu_{v}))^{2}$$

$$\mu_{v} = \frac{1}{M} \sum_{i}^{M} \mathbb{1} \{ v = \underset{v' \in \{0,1\}^{2}}{\text{arg max}} Pr[f(\mathbf{x}) = v'] \}$$

#### **Distant Domain Transfer Learning**

Ben Tan, \* Yu Zhang, \* Sinno Jialin Pan, \*\* Qiang Yang \*
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- Inspired by human's 'transitivity' learning and inference ability
- From one intermediate domain => multiple intermediate domain
- Automatically select the useful subset of data from each intermediate domain
- Almost all existing transfer learning methods (instance weighting, feature mapping, model adaptation) assume the source and target domain are closely related.
- The goal of DDTL is to exploit the unlabeled data in the intermediate domains to build a bridge between the source and target domains

$$\mathcal{J}_{1}(f_{e}, f_{d}, \boldsymbol{v}_{S}, \boldsymbol{v}_{T}) = \frac{1}{n_{S}} \sum_{i=1}^{n_{S}} v_{S}^{i} \| \hat{\boldsymbol{x}}_{S}^{i} - \boldsymbol{x}_{S}^{i} \|_{2}^{2} + \frac{1}{n_{I}} \sum_{i=1}^{n_{I}} v_{I}^{i} \| \hat{\boldsymbol{x}}_{I}^{i} - \boldsymbol{x}_{I}^{i} \|_{2}^{2} + \frac{1}{n_{I}} \sum_{i=1}^{n_{I}} v_{I}^{i} \| \hat{\boldsymbol{x}}_{I}^{i} - \boldsymbol{x}_{I}^{i} \|_{2}^{2} + R(\boldsymbol{v}_{S}, \boldsymbol{v}_{T}), \quad (1)$$
$$R(\boldsymbol{v}_{S}, \boldsymbol{v}_{T}) = -\frac{\lambda_{S}}{n_{S}} \sum_{i=1}^{n_{S}} v_{S}^{i} - \frac{\lambda_{I}}{n_{I}} \sum_{i=1}^{n_{I}} v_{I}^{i}.$$

Incorporating side information (source and target domains have label information)  $\mathcal{J}_{2}(f_{c}, f_{e}, f_{d}) = \frac{1}{n_{S}} \sum_{i=1}^{n_{S}} v_{S}^{i} \ell(y_{S}^{i}, f_{c}(\boldsymbol{h}_{S}^{i})) + \frac{1}{n_{T}} \sum_{i=1}^{n_{T}} \ell(y_{T}^{i}, f_{c}(\boldsymbol{h}_{T}^{i}))$   $+ \frac{1}{n_{I}} \sum_{i=1}^{n_{I}} v_{I}^{i} g(f_{c}(\boldsymbol{h}_{I}^{i})), \qquad (2)$ 

	SVM	DTL	GFK	LAN	ASVM	TTL	STL	SLA
'horse-to-face'	$84 \pm 2$	$88 \pm 2$	$77 \pm 3$	$79 \pm 2$	$76 \pm 4$	$78 \pm 2$	$86 \pm 3$	$92 \pm 2$
'airplane-to-gorilla'	$75 \pm 1$	$62 \pm 3$	$67 \pm 5$	$66 \pm 4$	$51 \pm 2$	$65 \pm 2$	$76 \pm 3$	$84 \pm 2$
'face-to-watch'	$75\pm7$	$68 \pm 3$	$61 \pm 4$	$63 \pm 4$	$60 \pm 5$	$67 \pm 4$	$75\pm5$	$88 \pm 4$
'zebra-to-collie'	$71 \pm 3$	$69 \pm 2$	$56 \pm 2$	$57 \pm 3$	$59 \pm 2$	$70\pm3$	$72 \pm 3$	$76 \pm 2$

Table 2: Accuracies (%) of selected tasks on Catech-256 and AwA with SIFT features.

Thank you!